

# Air Blast Modeling

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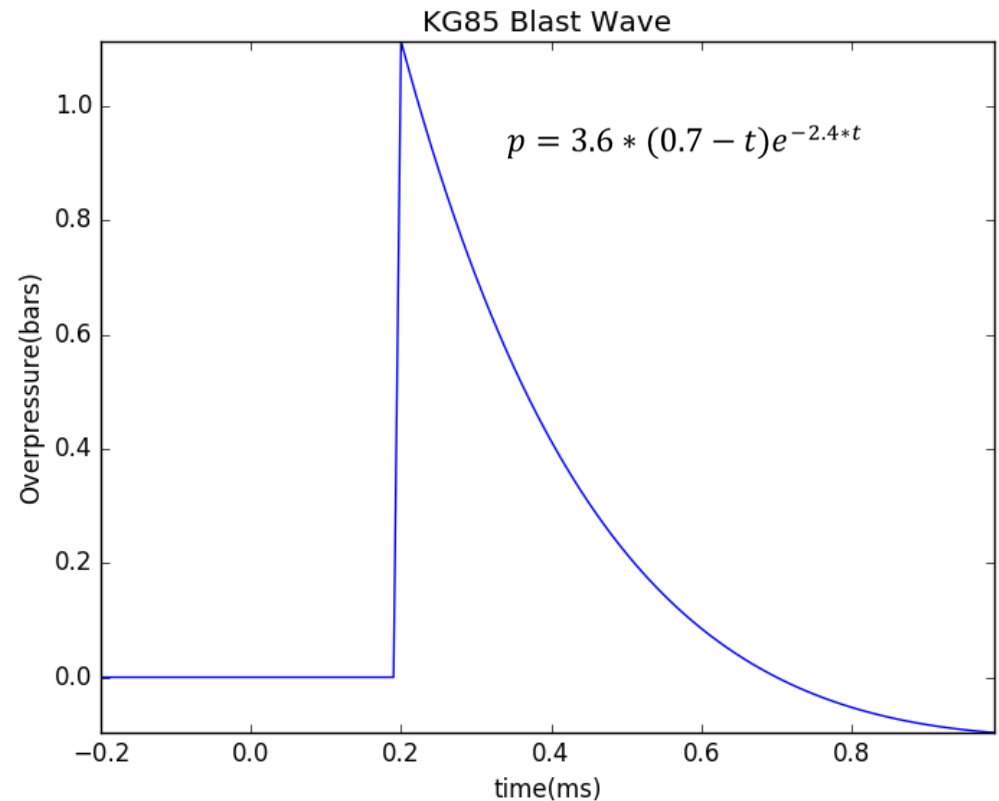
*This work was performed under the auspices of the U.S. Department of Energy by Lawrence Livermore National Laboratory under Contract DE-AC52-07NA27344 and by the Consortium for Verification Technology under Department of Energy National Nuclear Security Administration Award DE-NA0002534.*

LLNL-PRES-704070



# AIR-BLASTS

- Energy from an explosion near the Earth's surface causes a sudden pressure change
- Waves are generated that couple with the atmosphere
- These waves propagate as air-blast, acoustic, and infrasound waves



G. F. Kinney, K. J. Graham, *Explosive Shocks in Air*, 1985

# Motivation

Accurate yield estimation is a vital component of the post-detonation analysis of explosive events supporting:

- nuclear forensics
- non-proliferation
- low-yield nuclear monitoring

**The analysis of air blast parameters provides an estimate of yield for above ground explosions**

## Approach

- Make measurements on air-blasts data set in order to compare with models
- Investigate the effectiveness of LLNL yield determination algorithms using air-blast data from a series of near-surface low-yield chemical high explosive tests at Los Alamos
- Develop new more versatile models

# THE EXPERIMENT

70 HE (comp B) detonations:

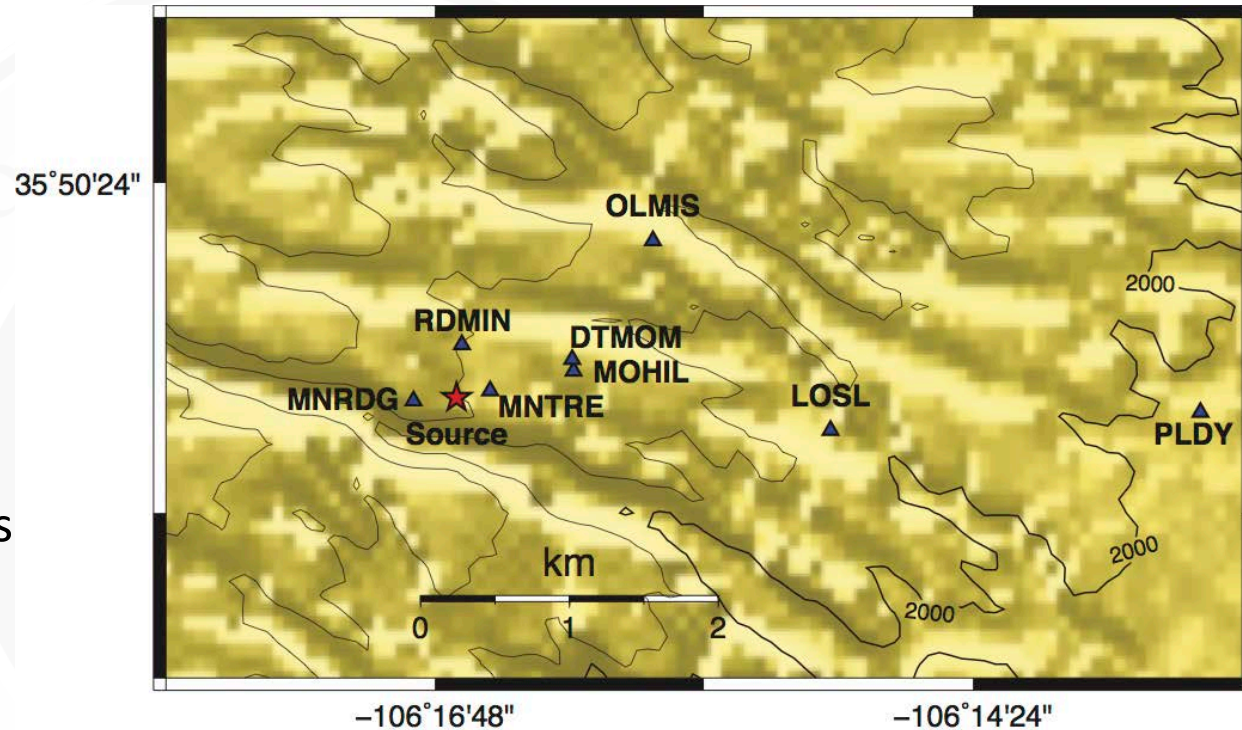
(Los Alamos National Laboratory)

- Mass: 1-15kg
- HOB: -1m-4m
- Shape: cylindrical and spherical

Included repeated explosions allowing investigation of the variability caused by:

- explosion size
- emplacement
- atmosphere
- shape

## STATIONS

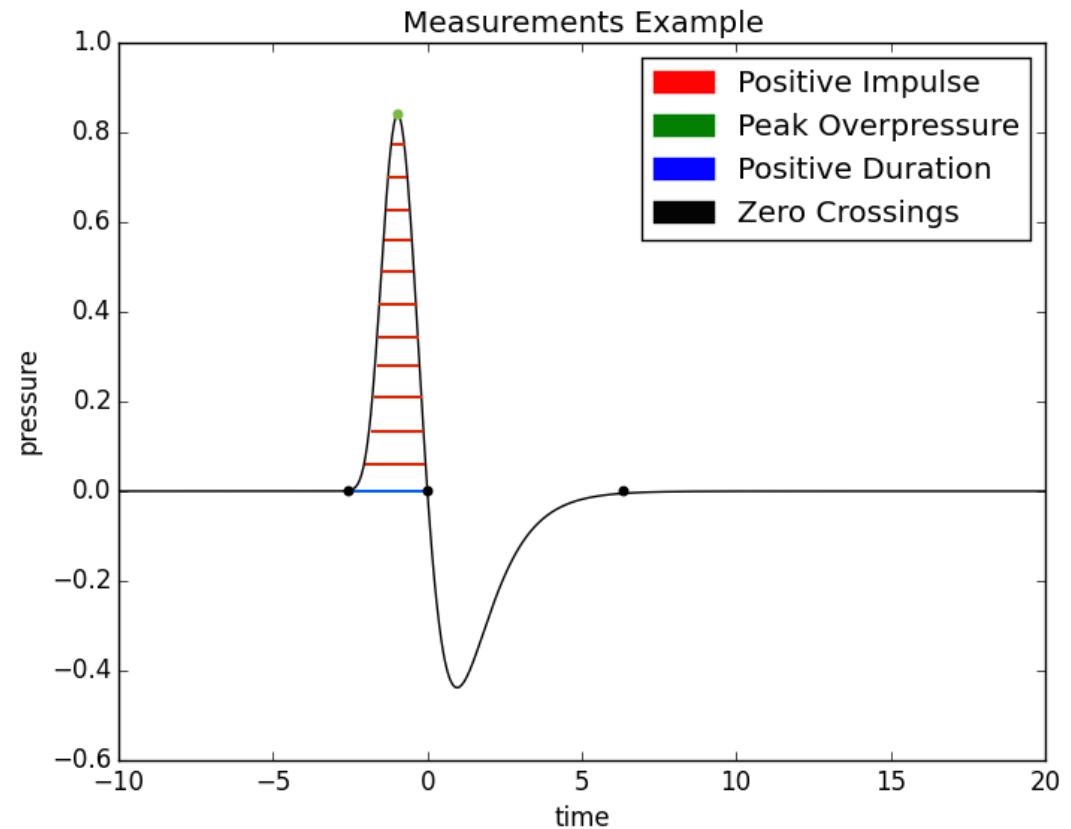


Map of the experimental configuration:  
explosion location = star  
overpressure stations = triangles

# AIR-BLAST MEASUREMENTS: METHODS

## Method:

- Determined 15 s window using estimated arrival time
- Peak pressure in window was used to define the air-blast arrival
- Defined air blast by zero crossings
- Eliminated ambiguous peaks



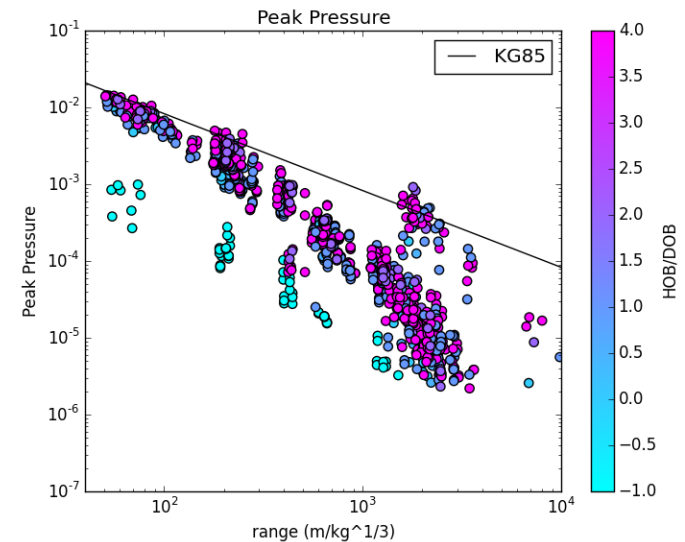
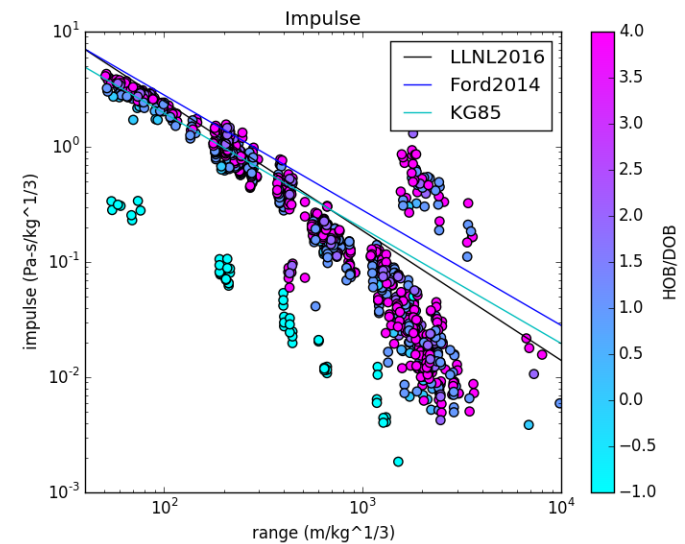
# AIR-BLAST MEASUREMENTS: RESULTS

## IMPULSE AND PEAK OVERPRESSURE

- Measured peak overpressure/impulse consistent with KG85 and other models up to  $\sim 200\text{-}500$  m range
- Measurements diverge at long range
- Impulse measurements are less scattered

### Note:

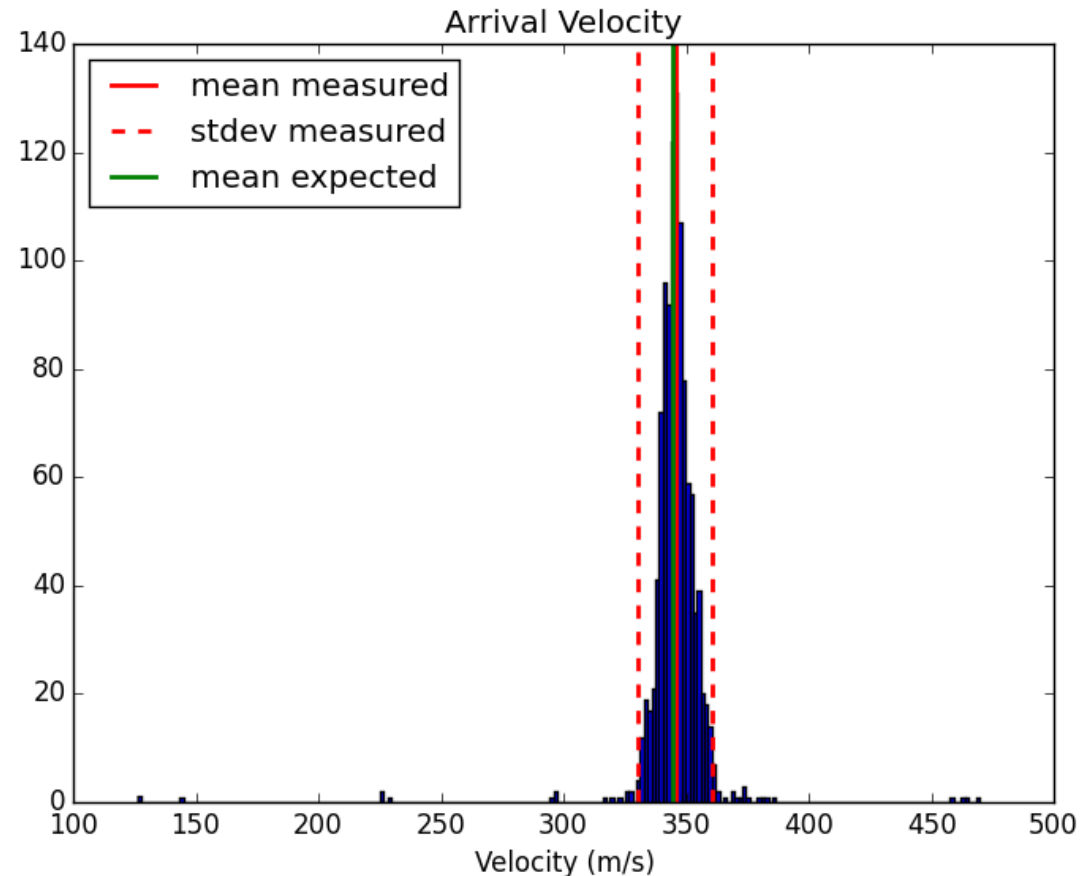
- Yield was derived from the TNT equivalent
- Adjusted for ambient atmospheric temperature and pressure
- Surface emplacement in a half-space was accounted for (doubled the yield)



# AIR-BLAST MEASUREMENTS: RESULTS

## TRAVEL VELOCITY

- Tight distribution and consistent with the expected speed of sound in air
- Confirms our method of measuring the blast arrival is sufficiently accurate
- Extreme outliers due to incorrect meta-data
- No trend of the arrival velocities with HOB or yield

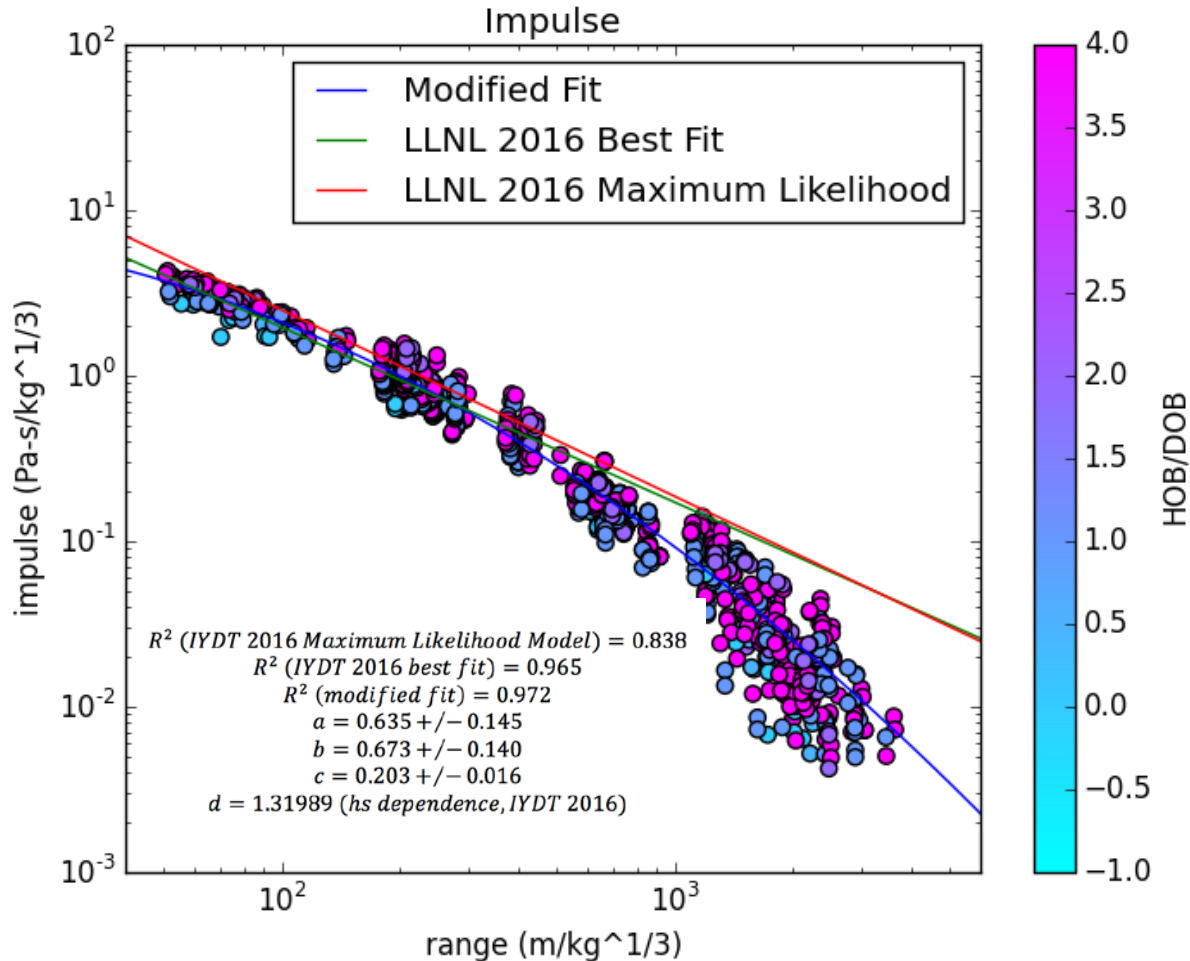




# AIR-BLAST MEASUREMENTS: NON-LINEAR MODELS

## Future Work:

- Develop a parameterized impulse vs. range model that takes into account propagation effects
- Use nonlinear models to extend the range over which LLNL yield estimation is effective



Modified model includes curvature to fit the impulse better at longer range







## YIELD ESTIMATION: METHODS

**LLNL software uses positive impulse to determine yield from air-blasts using 2 methods:**

### **Grid search method**

- Samples the search space uniformly ( $\log_{10}(\text{Yield})$  space/linear HOB space)
- Fixed step size and range for the grid search
- Likelihood = the sum of differences between the data and predictions

### **MCMC method**

- Markov Chain Monte Carlo stochastic inversion
- Guided random walk
- Initial step size is user determined then automatically updated by the algorithm
- User specifies the number of MCMC chains



# YIELD ESTIMATION: RESULTS

Compared the LLNL software estimated yields to the true yields for 67 detonations:

## Past Results

25% absolute yield error 50% of events

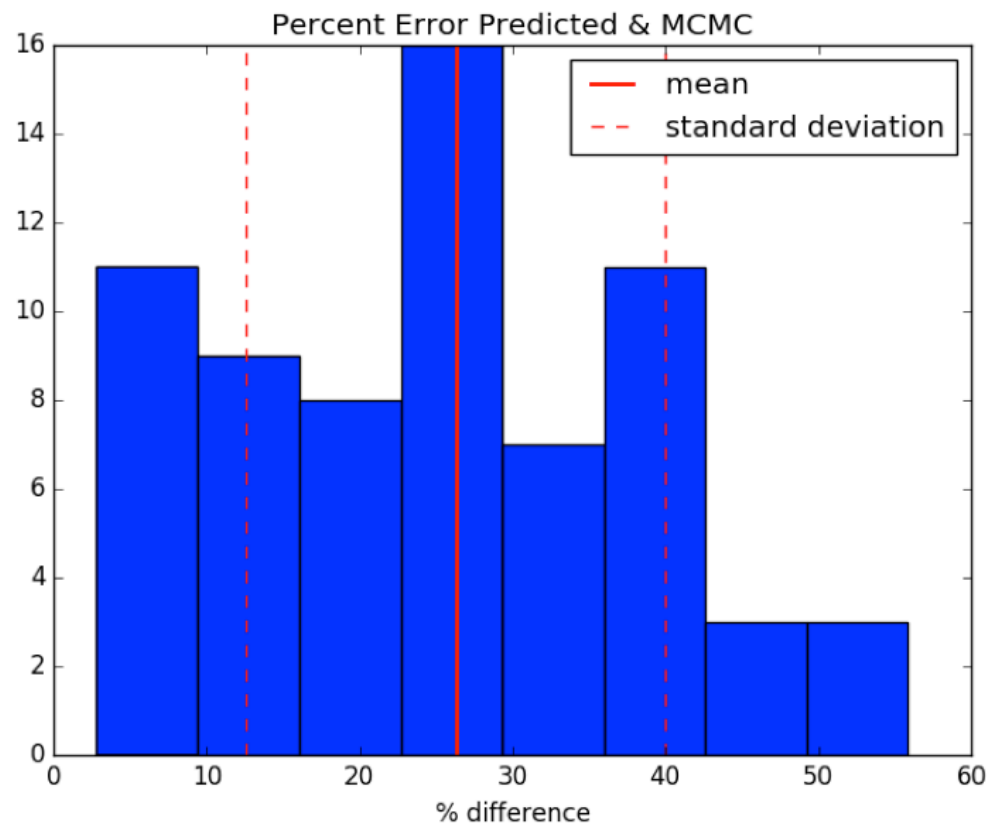
50% absolute yield error 78% of events

## New Results

Mean absolute yield error < 30%

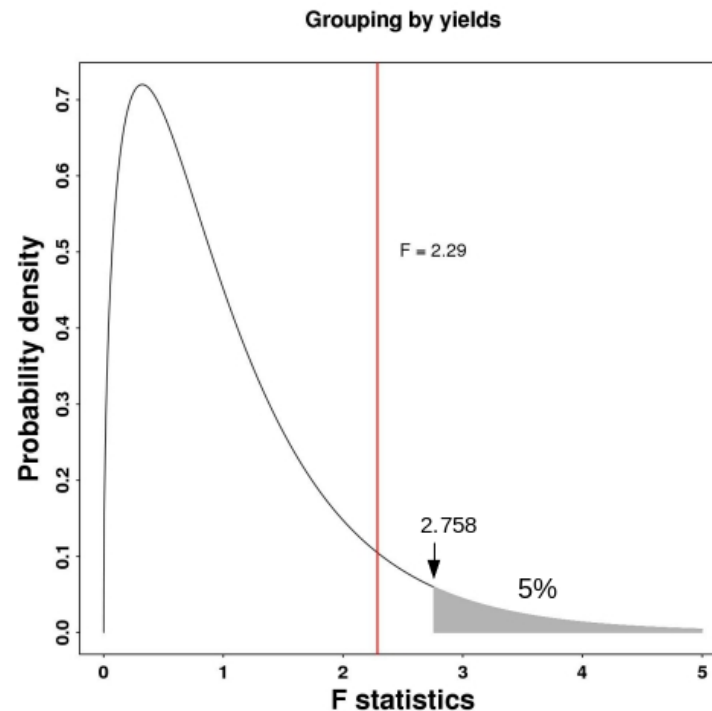
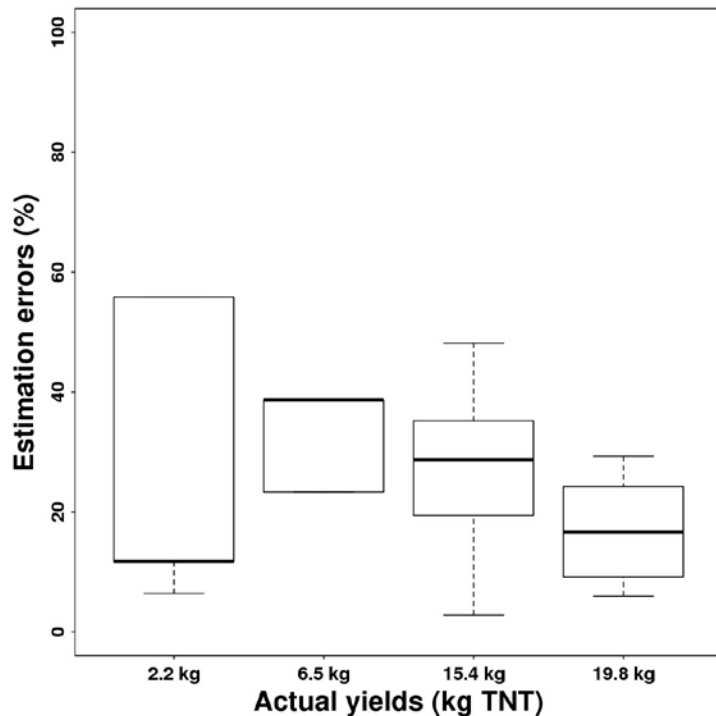
## Conclusion:

The LLNL software is applicable to very small yield explosions.



# YIELD ESTIMATION: ANOVA TEST

ANOVA: Looks for statistically significant differences between groups by comparing the means



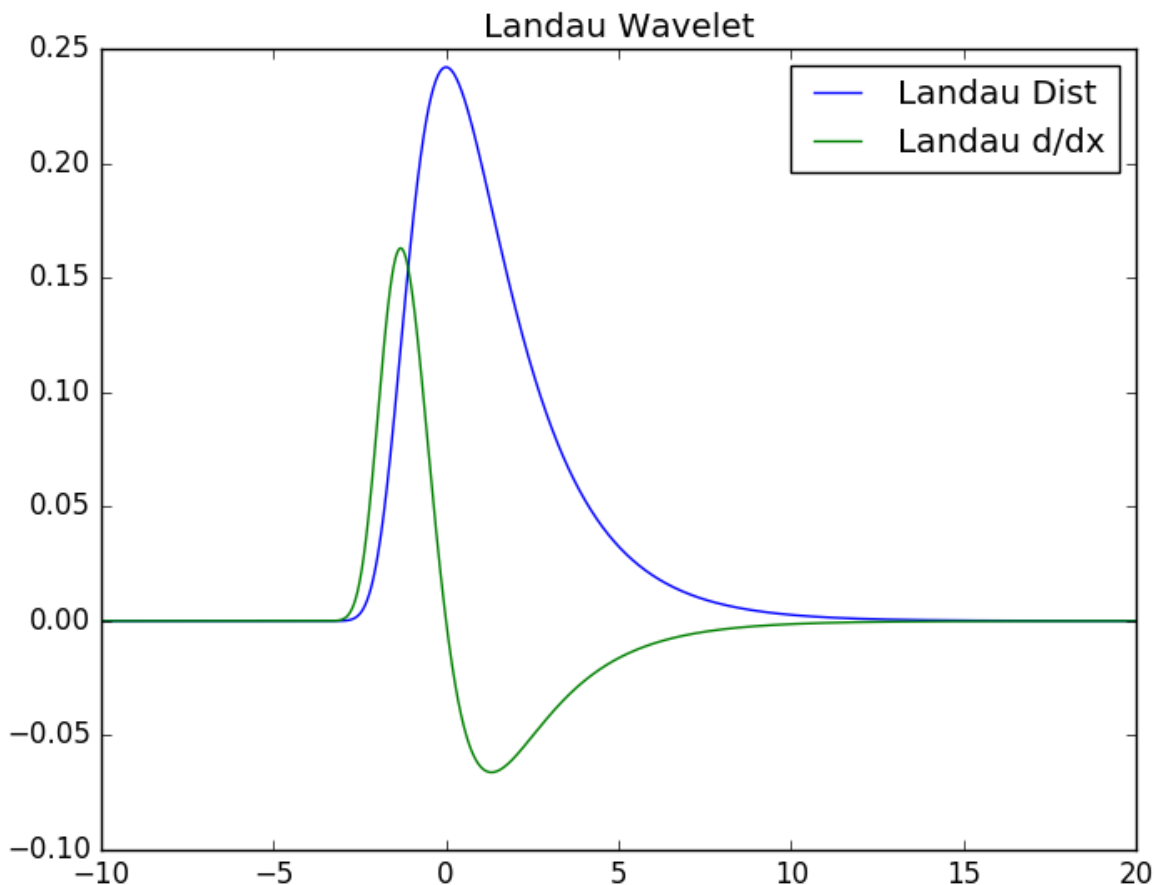
Source of variance	Sum of square	Degree of freedom	Mean square	F statistics
Between Groups	1290.581	3	430.1937	2.287
Within Groups	11285.08	60	188.0847	
Total	12575.58	63	199.6124	

- The F value (ratio of variances) falls into 95% probability region (below  $F=2.758$ )
- Means of the % difference of the yield groups are not significantly different at 5% significance



# AIR BLAST MODELING: THE LANDAU WAVELET

- Based on derivative of the approximate Landau distribution (Moyal, 1955)
- Continuous, differentiable
- Resembles real air blast data
- Impulse balanced negative phase



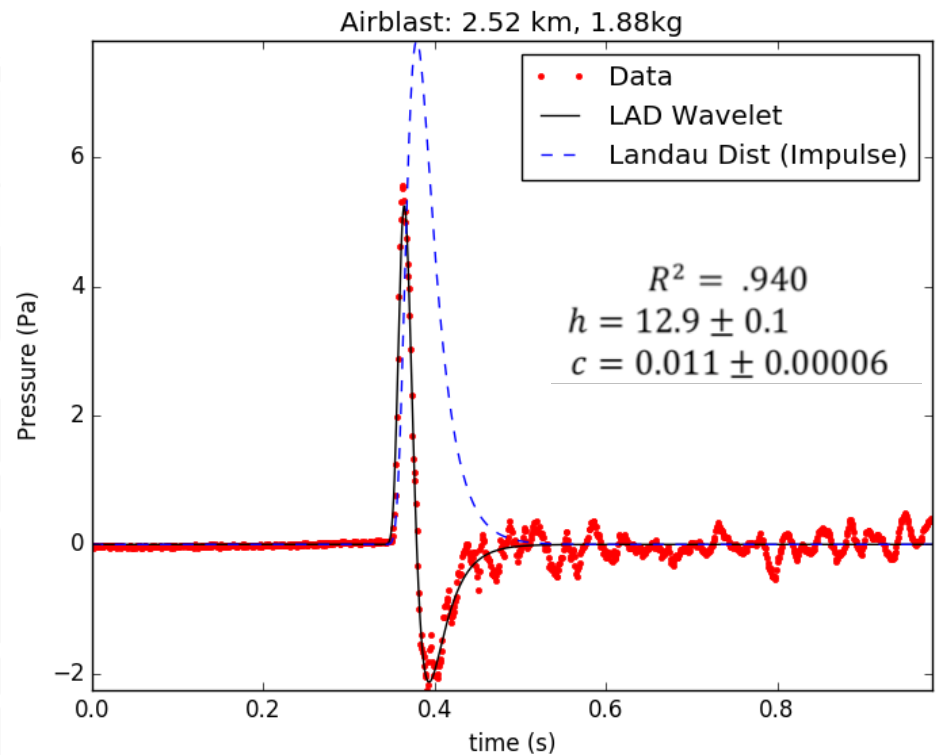
$$\text{Landau PDF Approximation} = \frac{1}{\sqrt{2\pi}} e^{-\frac{1}{2}(x+e^{-x})} \quad (\text{Moyal, 1955})$$

$$\frac{d}{dx} (\text{Landau PDF}) = \frac{1}{2\sqrt{2\pi}} e^{-\frac{1}{2}(3x+e^{-x})} (1 - e^x)$$



# AIR BLAST MODELING: PRELIMINARY FITTING

- Used least-squared method to fit functional form to small yield air blast data
- Does not yet include shape parameter (s)
- Set horizontal position based on measured zero crossing
- Vertical and horizontal scaling were fit parameters
- Will experiment with fitting a generalized version of the Landau wavelet to large air-blast data set



$$Pressure = \frac{h}{2} * e^{-\frac{1}{2} \left( \frac{3(x-p)}{c} + e^{-\frac{x-p}{c}} \right)} \left( 1 - e^{-\frac{x-p}{c}} \right)$$

*h, c, p control position and scaling  
p is fixed to the zero crossing*

# AIR BLAST MODELING: COMPARING MODELS

Friedlander (1946):  $(1 - \tau)e^{-\alpha\tau}$

Brode (1955):  $\tau(1 - \tau)e^{-2\alpha\tau}$

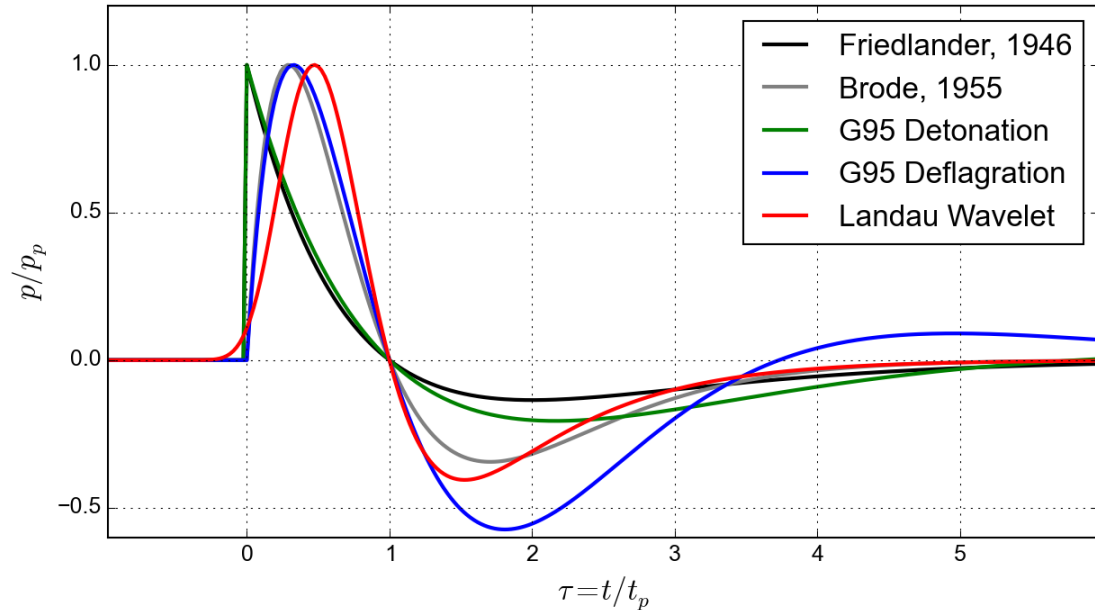
G95 Detonation:  $(1 - \tau)(\tau_0 - \tau)e^{-\alpha\left[\frac{\tau_0+1}{2\tau_0}\right]\tau}$

G95 Deflagration:  $\tau(1 - \tau)(\tau_0 - \tau)e^{-\alpha\left[\frac{\tau_0+1}{\tau_0}\right]\tau}$

Landau Wavelet:  $\left(e^{5(1-\tau)} - 1\right)e^{5\alpha(1-\tau)}e^{-\frac{1}{2}e^{5(1-\tau)}}$

First moment, or total impulse, vanishes for  $\alpha = 1$

Generalized Landau Wavelet:  $\left(e^{s(1-\tau)} - 1\right)e^{\frac{1}{2}s\alpha(1-\tau)}e^{-\frac{1}{2}e^{s(1-\tau)}}$



- Followed the procedure of Garces (2017) to scale the LAD wavelet according to peak overpressure and positive pulse duration
- Main advantage over other models is differentiability
- A continuous differentiable function is needed for finite difference modeling
- Generalized Landau wavelet and other models will be tested against real air blast data



# CONCLUSIONS

## PROGRESS

- Tested LLNL yield estimation software
- Confirmed LLNL models developed at higher yield (20-1000x larger) are applicable to small yield detonations
- Compared LLNL 2016 impulse vs. range model with measurements
- Developing a new more versatile air blast model
- Scaled LAD wavelet following the procedure of Garces (2017)

## NEXT STEPS

### **Further investigate non-linear scaled impulse models**

- Extend yield estimation to longer range

### **Test air blast models against large air-blast data set**

- Check goodness of fit, canonical parameters, impulse fit
- Look for direct relationships between model parameters and yield
- Apply air-blast model in waveform-based yield estimates

Kim and Rodgers (2016)



# QUESTIONS?

